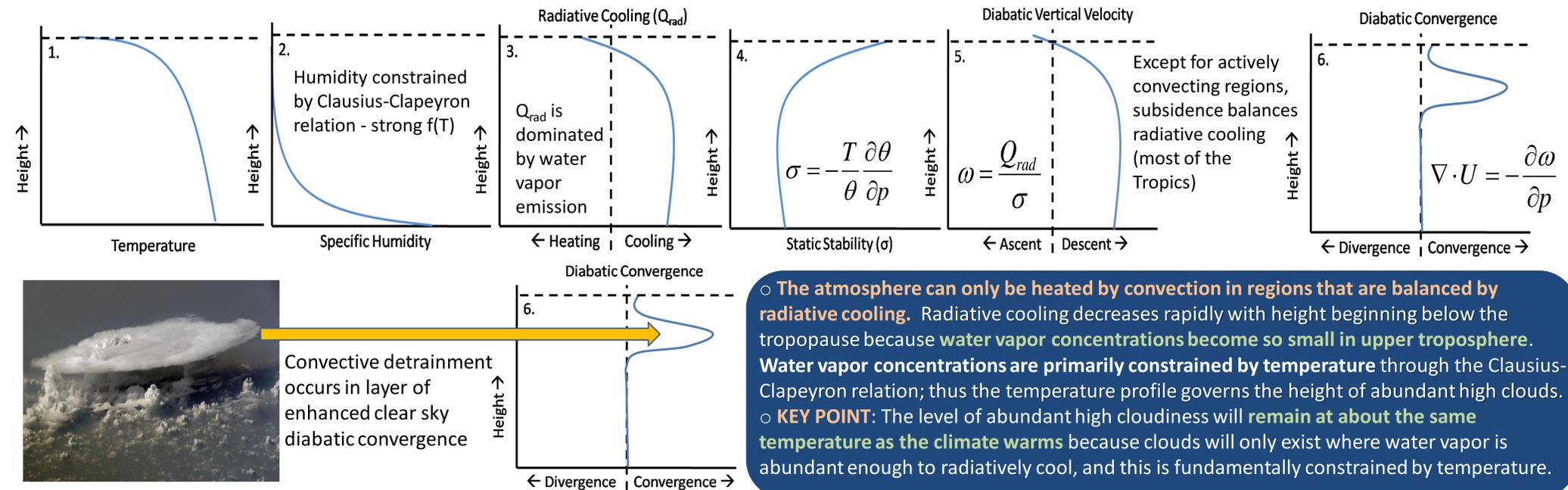


## 1. Motivation / Objectives

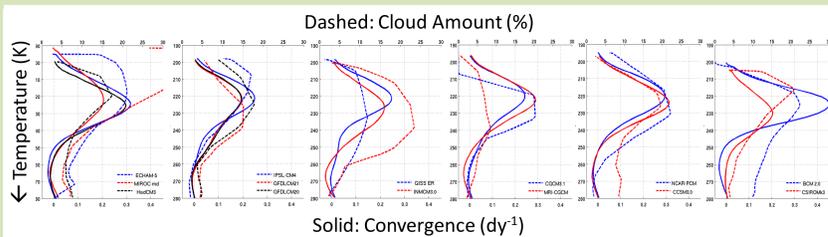
All global climate models submitted to the IPCC AR4 archive exhibit a positive longwave cloud feedback. Here we propose that this is largely due to the fact that tropical high clouds maintain a nearly constant emission temperature. Furthermore, we show that this feature should be expected from physical relationships that are fundamentally constrained by thermodynamics.

## 2. The Fixed Anvil Temperature (FAT) Hypothesis

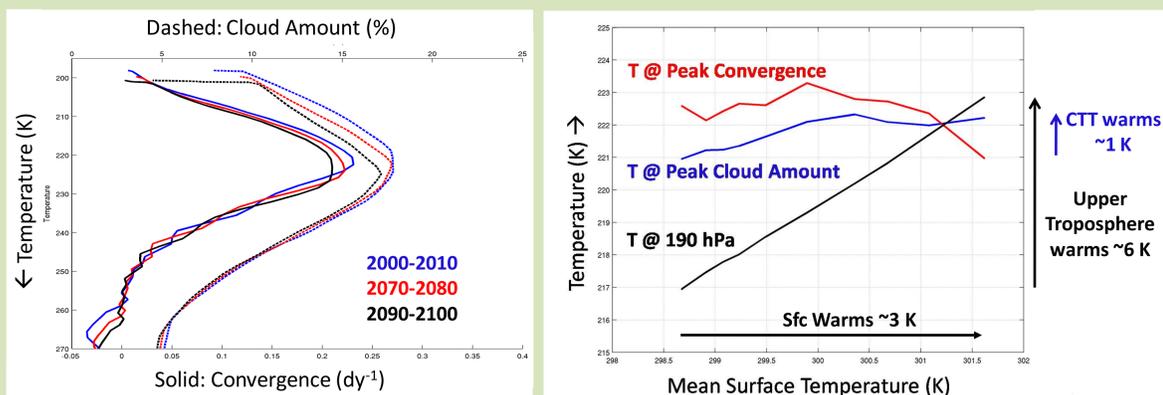
- Hartmann and Larson (2002) hypothesized that the **altitude at which high clouds are most abundant** is where the clear-sky **diabatic convergence is largest** and that this level will remain at about the same temperature (not height!) as the climate warms.



## 3. Correspondence Between Diabatic Convergence and High Clouds in AR4 GCMs



## 4. Assessing FAT in 14 GCMs (SRES A2 Scenario)

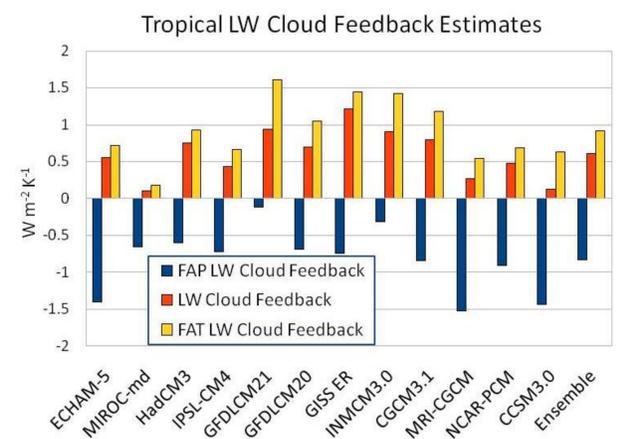
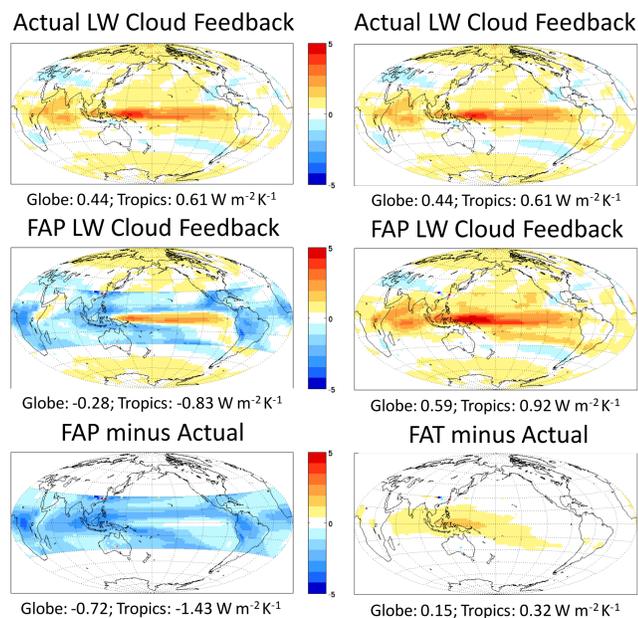


- Ensemble-mean cloud amounts correspond to peak in ensemble-mean diabatic convergence
- The **temperature at this level remains nearly constant** as the climate warms over the 21<sup>st</sup> Century.
- Upper troposphere warms much more than the surface (moist adiabat), but **temperature at level of peak cloud amount warms only slightly** → **strong positive LW cloud feedback**
- Slight reduction in magnitude of diabatic convergence and cloud amount

## 5. Estimating the Contribution of FAT to LW Cloud Feedback

### Mathematical Framework

- $LWCF = OLR_{clr} - OLR = f(OLR_{clr} - OLR_{cld})$
  - $\Delta LWCF = \Delta f(OLR_{clr} - OLR_{cld}) + f\Delta OLR_{clr} - f\Delta OLR_{cld}$
- Assume  $f$  and  $OLR_{cld}$  can be broken into components from high and low clouds:
- $fOLR_{cld} = f_{hi}OLR_{hicld} + f_{lo}OLR_{locld}$ , where  $f_{lo}$  is the effective low cloud fraction
  - $OLR_{hicld} = \sigma CTT^4$ , where CTT is a cloud-weighted temperature for clouds that are between the freezing level and the tropopause
- Using  $f = f_{hi} + f_{lo}$ , we can solve [3] for  $f_{hi}$ :
- $f_{hi} = f \frac{OLR_{cld} - OLR_{locld}}{OLR_{hicld} - OLR_{locld}}$
- where  $OLR_{cld}$  is given by [1],  $OLR_{hicld}$  is given by [4], and we assume  $OLR_{locld} = OLR_{clr}$
- $\Delta LWCF = \Delta f_{hi}(OLR_{clr} - OLR_{hicld}) - f_{hi}\Delta OLR_{hicld} - f_{lo}\Delta OLR_{locld} + f\Delta OLR_{clr}$
- Two hypothetical scenarios, **Fixed Anvil Pressure** and **Fixed Anvil Temperature**:
- $\Delta LWCF_{FAP} = \Delta f_{hi}(OLR_{clr} - OLR_{hicld}) - f_{hi}\Delta OLR_{hicld} - f_{lo}\Delta OLR_{locld} + f\Delta OLR_{clr}$
  - $\Delta LWCF_{FAT} = \Delta f_{hi}(OLR_{clr} - OLR_{hicld}) - f_{hi}\Delta OLR_{hicld} - f_{lo}\Delta OLR_{locld} + f\Delta OLR_{clr}$
- Finally, we use the radiative kernel technique (Soden et al. 2008) to convert  $\Delta LWCF$  to LW cloud feedback (apply a correction factor due to clouds masking temperature and humidity changes).



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## 6. Take Home Points

- The **level of abundant upper tropospheric cloudiness** in the AR4 model ensemble-mean **corresponds quite well with the ensemble-mean clear-sky upper tropospheric diabatic convergence**, however there is considerable spread from model to model.
- The **high cloud response to global warming in GCMs is qualitatively consistent with the FAT hypothesis**: upper tropospheric convergence and the corresponding high cloudiness **remain at approximately the same temperature** as the climate warms during the 21<sup>st</sup> Century.
- Actual LW cloud feedback is slightly smaller than that calculated assuming FAT, but is clearly underestimated by assuming that clouds remain at the same pressure.
- The LW cloud feedback, which is dominated by the tropical cloud response, **can be closely approximated by assuming that tropical high clouds remain at the same temperature**: The actual cloud response much more closely resembles FAT than FAP. **This increases our confidence in the modeled LW cloud feedback because there is a fundamental thermodynamic constraint maintaining this cloud response, namely the dependence of water vapor abundance on temperature through Clausius-Clapeyron.**